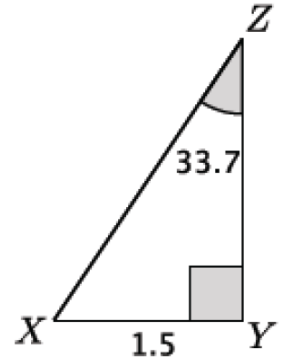
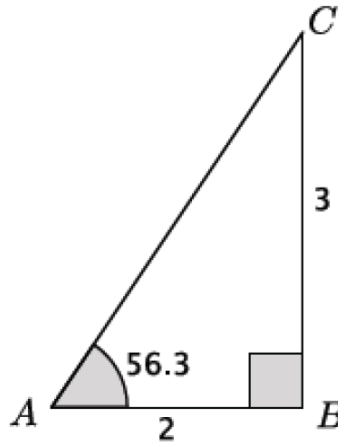


Name _____ Per _____

LO: I can use similarity to solve problems with altitudes in right triangles.

 DO NOW On the back of this packet (1) **Similarity: Right triangles and similarity.**

calculator

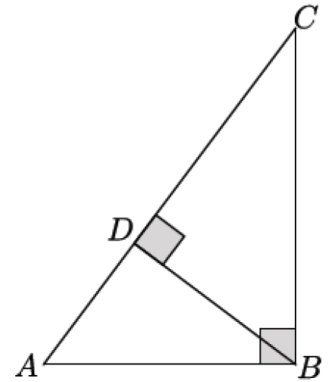
 (a) Are the triangles at right similar? Explain. (b) Determine the unknown side lengths. (c) Explain how you found the lengths in part (b).

(2) **Similarity: Right triangles, altitudes, and similarity**

highlighter

Recall that an altitude of a triangle is a perpendicular line segment from a vertex to the line determined by the opposite side. In triangle ABC below, \overline{BD} is the altitude from vertex B to the line containing \overline{AC} .

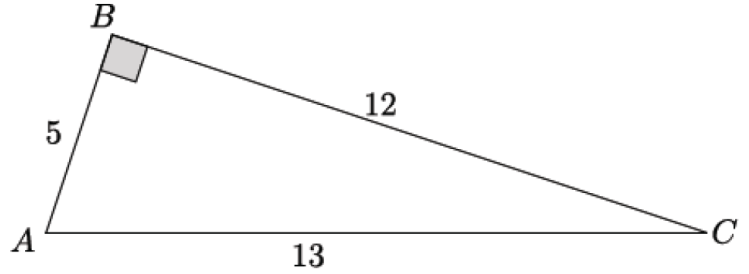
- (a) How many triangles do you see in the figure? _____
- (b) Mark $\angle A$ and $\angle C$ with 2 different marks or colors.
- (c) Redraw the triangles separately. Label and mark all angles as they are marked in the original diagram.



- (d) Are the triangles similar? Explain how you know.
- (e) Identify the three triangles by name – be sure to name each one in the order of the corresponding parts.
_____, _____, _____
- (f) Summarize what we know about the triangles formed by an altitude from the right angle of a right triangle. You may want to include diagrams.

(3) **Similarity: Right triangles, altitudes, and using similarity to find unknown values.**

highlighters & calculators

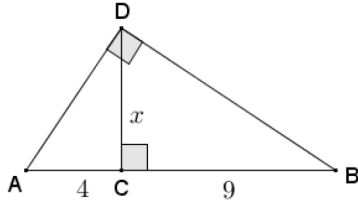
Consider $\triangle ABC$ at below. (a) Draw the altitude \overline{BD} from vertex B to the line containing \overline{AC} . Label the segment \overline{AD} as x , the segment \overline{DC} as y and the segment \overline{BD} as z . (b) Find the values of x , y , and z . Redraw triangles and write and solve proportions as needed.

(4) **Similarity: Right triangles, altitudes, and similarity patterns.**

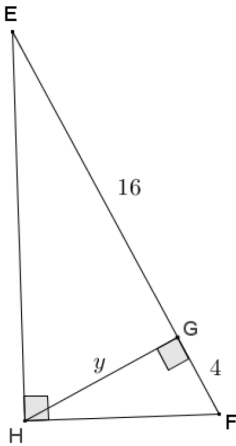
highlighters & calculators

Use similar triangles to find the length of the altitudes labeled with variables in each triangle below.

(a)



(b)

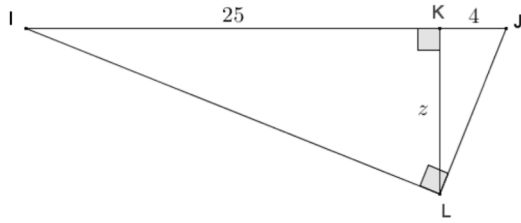


(4) **Similarity: Right triangles, altitudes, and similarity patterns.**

highlighters & calculators

Use similar triangles to find the length of the altitudes labeled with variables in each triangle below.

(c)



(d) Describe the pattern that you see in your calculations for parts (a) through (c).

(5) **Exit Ticket**

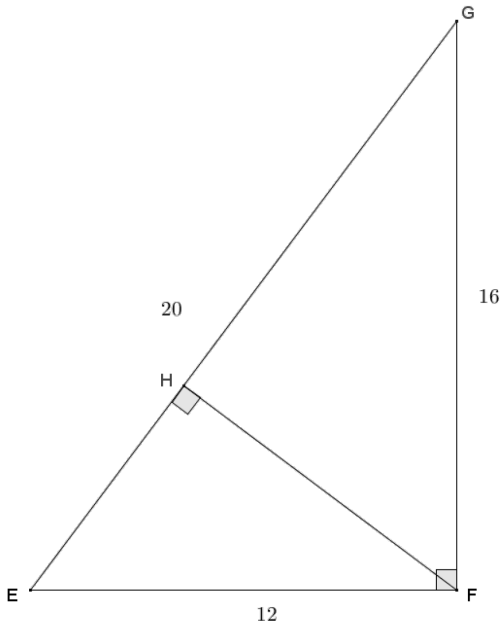
highlighters & calculators

The Exit Ticket is on the last page of this packet. Do it, tear it off and turn it in.

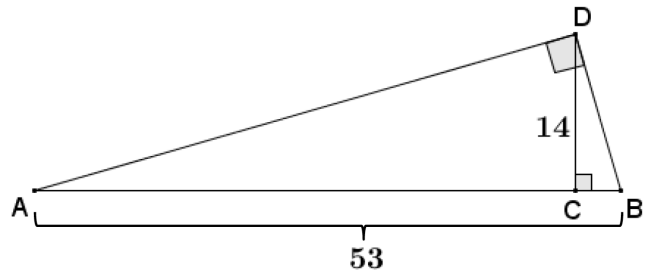
(6) Homework:

highlighter
s &
calculators

- (1) Given right triangle EFG with altitude \overline{FH} drawn to the hypotenuse, find the lengths of EH , FH , and GH .



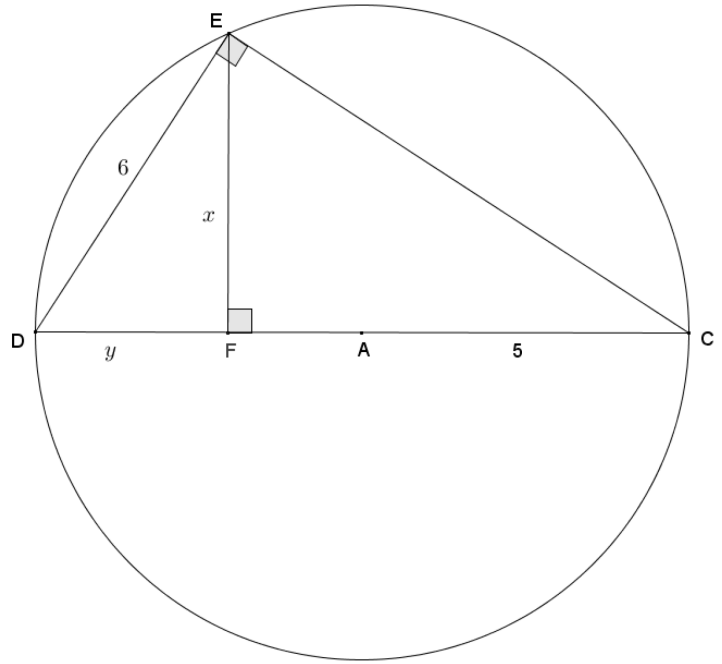
- (2) In right triangle ABD , $AB = 53$, and altitude $DC = 14$. Find the lengths of BC and AC .



□ (9)
 highlighter
 s &
 calculators

Homework:

- (3) Right triangle DEC is inscribed in a circle with radius $AC = 5$. \overline{DC} is a diameter of the circle, EF is an altitude of $\triangle DEC$, and $DE = 6$. Find the lengths x and y .

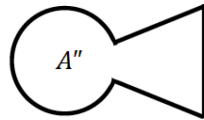


(9)
highlighter
&
calculators

Homework:

(4) A tower casts a shadow of 64 feet. A 6-foot tall pole near the tower casts a shadow 8 feet long. How tall is the tower?

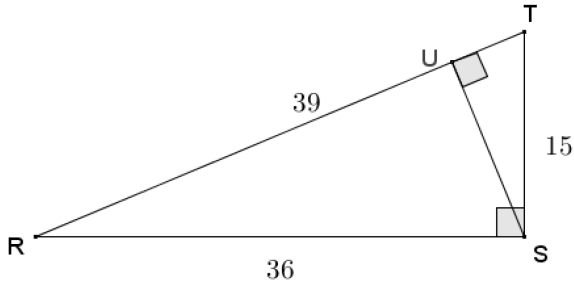
(5) Describe a similarity transformation that maps figure A to figure A'' the other or explain why such a sequence does not exist.



Exit Ticket Name _____ Date _____ Per _____ 6.6R

(1) The LO (Learning Outcomes) are written below your name on the front of this packet. Demonstrate your achievement of these outcomes by doing the following:

(1) Given $\triangle RST$, with altitude \overline{SU} drawn to its hypotenuse, $ST = 15$, $RS = 36$, and $RT = 39$, answer the questions below.



(2) Complete the similarity statement relating the three triangles in the diagram: $\triangle RST \sim \triangle$ _____ $\sim \triangle$ _____

(3) Find the length of SU

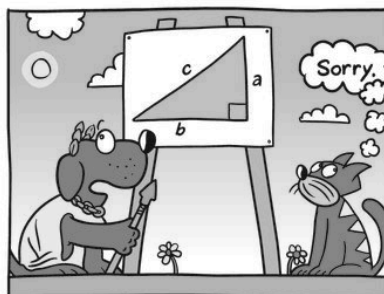
(1) What do you think the word **altitude** means?

(2) Use the word **altitude** in a sentence.

(3) How does the picture they are looking at relate to the captions below?



"I'm pretty sure that Pythagoras was a Greek."



"I said 'Greek', not 'Geek'."